

Directions: Choose only two out of the three problems listed below. If you attempt all three, only questions one and two will be graded. Please show all work.

- a. (8pts) List the four standard necessary conditions of Deadlock.
- b. (8pts) Let P be a set of processes and BT be a binary tree. If P is a set of processes and BT is a binary tree, then P is a set of processes and BT is a binary tree.

a. Below is a set of processes with CPU burst times listed in milliseconds.

Process	Arrival Time	CPU burst
1	0	10ms
2	5	5ms
3	2	2ms
4	6	8ms
5	1	12ms

- (8 pts) Draw a Gantt chart for the *Shortest Remaining Time First* scheduling algorithm. Label the ending times of each process.
- (8 pts) Draw a Gantt chart for the *Round Robin* scheduling algorithm. Assume round robin ordering starts with Process 1. Use a time quantum of *4ms*. Label the ending times of each process.
- (4 pts) For Round Robin in part b) above, what is the *average wait time*? What is the *turnaround time*?

CS 692 Capstone Exam Algorithms Spring 2019: Choose any 2 of the 3 problems.

1) Given a

Choose only two out of the three problems listed below. If you attempt all three, only questions one and two will be graded. Please show all work.

1). Consider $\Sigma = \{a, b\}$:

- a. State the Pumping Lemma for regular languages.
- b. Is the following language a regular language:
language:

$$L = \{ a^n b^m : n \geq m \}$$

2). Consider $\Sigma = \{a, b\}$:

- a. Give one example of a context free language.
- b. Give one example of a language that is not context free.
- c. Is the class of context free languages closed under intersection?
Prove your answer.

3). The PARTITION Problem takes as input a set S of integers. The question is whether S can be divided into two subsets A and B such that $\sum A = \sum B$?

- a. How do you prove, in general, that a Problem X is NP complete? Please give the steps.
- b. Prove that the PARTITION Problem is NP complete. You may assume that CNF SAT, 3 CNF SAT, VERTEX COVER, CIRCUIT, and SUBSET SUM are all known to be NP complete.